Ear Based Personal Identification Approach Forensic Science Tasks

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ABSTRACT

Ear has been suggested by the researchers that the shape and features of ear are unique for each person and invariant with age. This paper proposes a robust method for ear based personal identification under environment of variant scaling, rotation and image reflection. Techniques introduced in this work are composed of two parts. The first one is the detection of ear features by using the concepts of multi-resolution Trace transform and Fourier transform. Then, in the second part, modified Hausdorff distance is employed to measure and determine of similarity between the models and tested images. Finally, our method is evaluated with experiments on images from the CMU PIE database. The extensive experimental results show that the average of accuracy rate of ear recognition with variant scaling, rotation and image reflection is higher than 97%.

Keywords: biometric, forensic Science, trace transform, hausdorff distance.

1. INTRODUCTION

Ear features have been used for many years in task of forensic science for personal identification. This is because ear is a stable biometric and invariant with age change. Moreover, it has all the properties trait should have, i.e. uniqueness, universality, permanence and collectability. Ear does not have a completely random structure. As shows in [Figure 1], the standard features of the ear. Unlike face structure, ear has no expression changes, makeup effects and the color is constant throughout the ear. Ear was first used for identification of human being by Iannarelli [1] who used manual techniques to identify ear images. Samples of over 10,000 ears were studied to prove the distinctiveness of ears. Structure of ear does not change radically over time. The medical literature [2] provides information that ear growth is proportional after first four months of birth and changes are not noticeable in the age 8 to 70. Burger et al. [3], proposed an approach for automatic ear recognition. For Burger's method, each subject's ear is modeled as an adjacency graph built form Voronoi diagram of its curve segments. Victor et al. [4] and Chang et al. [5] used Eigen ear for identification. The results obtained were different in both cases. Chang's
results show no difference in ear and face performance while Victor’s results show that ear performance is worse than face. According to Chang views, the difference in result might be due to usage of different image quality. Another approach is proposed by Moreno et al. [6], this approach combines the results of neural classifier which use the information obtained from ear shape and wrinkles, and macro features extracted by compression network. Chen and Bhanu. [7] studied two steps iterative closest point algorithm on 30 people with their 3D ear images that were manually extracted. The results reveal 2 incorrect matching out of 60 images. In this paper, we present an effective ear features extraction and recognition based on multi-resolution Trace transform and modified Hausdorff distance combination.

The rest of this paper follows. An introduction to the Trace transform, its properties and how it can be used to extract invariant features is given and the extraction of the identifier string from an ear image in Section 2. We describe a modified the Hausdorff distance in section 3. Finally, we present our experimental results in section 4, and Conclusion in section 5.

2. FEATURES EXTRACTION
2.1 Pre-processing

The ear part is manually cropped from the side face image and the portions of the ear which do not constitute the ear are colored white leaving only ear. And then, the colored ear image is converted to grayscale. The grayscale conversion is computed by:

\[
\text{GRAY}_{x,y} = 0.299R_{x,y} + 0.587G_{x,y} + 0.114B_{x,y}
\]

where R, G and B are color’s value of each pixel in domain of red, green and blue. Figure 2.(b) shows the grayscale image which is obtained by cropping the ear part from the image in Figure 2.(a).

![Ear's anatomy](image1.png)

Figure 1. Ear’s anatomy.

![Ear anatomy](image2.png)

Figure 2. (a) A side face image acquired (b) Ear cropped grayscale image.
2.2 The Trace Transform

In this work, we use a trace transform technique for extracting features from clustered segments. The Trace transform \cite{8, 9} method can produce feature values of an input image, invariant to translation, rotation and even reflection of an input image. Accordingly, it is suitable to extract feature values from various shapes of ear segments, even if deformed by translation, rotation, or reflection. The Trace transform projects all lines over an image and applies functional over these lines. A further functional, known as the diametrical functional, is applied to the Trace transform to obtain a one-dimension function known as the circus function. An ear image identifier is developed using the trace and diametrical functionals. A line is parameterized in a co-ordinate system $C_i$ by $(\theta_i, d_i, t_i)$, as show in Figure 3.

![Figure 3. (a) The Trace transforms projects line over the ear image. The lines are parameterized by the angle $\theta$ and distance $d$. (b) The trace transform of ear image of (a) using functional IF1.](image)

Where $\theta_i$ is the angle of the normal to the line, $d_i$ is the distance between the origin and line and $t_i$ is the distance along the line. The values of the image function along a particular line are $F_i(\theta_i, d_i, t_i) = F(C_i; \theta_i, d_i, t_i)$. And then, the Trace transform $T$ applies some functional over the image function that results in the diametrical function $d(C_i; \phi_i, \rho_i) = T(F(C_i; \phi_i, \rho_i, t_i))$. The diametrical functional $D$ operates on the diametrical function to give the circus function

$$c(C_i; \phi_i) = D(T(C_i; \phi_i, \rho_i, t_i))). \quad (2)$$

2.2.1 Invariant Functional

Shift invariance means that the value of the functional does not change if the function shifts. Examples are the integral, the median value, the maximal value of a function, etc. One might say that an invariant functional chooses an ordinate independently of the shift. A functional $\Xi$ is called shift invariant if for any admissible function $\xi(x)$ is invariant if $\Xi(\xi(x+b)) = \Xi(\xi(x))$ for all $b \in \mathbb{R}$ (Property $I_1$). The invariant functionals can have two further properties $\Xi(\xi(ax)) = a \Xi(\xi(x))$ for all $a > 0$ (Property $i_1$), and $\Xi(a\xi(x)) = \gamma(a) \Xi(\xi(x))$ for all $a > 0$ (Property $i_2$). It can
be shown [8] that \( \alpha(a) = a^\Xi \) and \( \gamma(d) = d^{\Xi} \), where the constants \( k_\Xi \) and \( \lambda_\Xi \) are called homogeneity constants of functional \( \Xi \). Some invariant functionals and their properties are shown in Table 1.

### Table 1. Invariant functionals and their properties.

<table>
<thead>
<tr>
<th>No</th>
<th>Functional</th>
<th>( k )</th>
<th>( \lambda )</th>
<th>Properties</th>
</tr>
</thead>
<tbody>
<tr>
<td>IF(_1)</td>
<td>( \int \xi(t)dt )</td>
<td>-1</td>
<td>1</td>
<td>( I_1, i_1 ) and ( i_2 )</td>
</tr>
<tr>
<td>IF(_2)</td>
<td>( \left(</td>
<td></td>
<td>\xi(t)</td>
<td></td>
</tr>
<tr>
<td>IF(_3)</td>
<td>( \int</td>
<td>\xi(t)</td>
<td>dt )</td>
<td>0</td>
</tr>
<tr>
<td>IF(_4)</td>
<td>( \int (t - SF) \xi(t) dt )</td>
<td>-3</td>
<td>1</td>
<td>( I_1, i_1 ) and ( i_2 )</td>
</tr>
<tr>
<td>IF(_5)</td>
<td>( \frac{\sqrt{IF_3}}{IF_6} )</td>
<td>-2</td>
<td>0</td>
<td>( I_1, i_1 ) and ( i_2 )</td>
</tr>
<tr>
<td>IF(_6)</td>
<td>( \max(\xi(t)) )</td>
<td>0</td>
<td>1</td>
<td>( I_1, i_1 ) and ( i_2 )</td>
</tr>
<tr>
<td>IF(_7)</td>
<td>( IF_6 - \min(\xi(t)) )</td>
<td>0</td>
<td>1</td>
<td>( I_1, i_1 ) and ( i_2 )</td>
</tr>
</tbody>
</table>

** We have used IF\(_1\), IF\(_3\) and IF\(_6\) for this work.

### 2.3 Multi-Resolution Trace T-transform

Multi-resolution representations are popular technique for their powerful ability to describe signals at varying levels of detail from coarse gain to fine gain. Here a multi-resolution Trace transform is introduced that is quickly and efficiently generated from the original Trace transform. A Trace transform \( T \) with a specific functional provides one representation of an image. From this one abstraction a multi-resolution representation of the image can be generated which captures information at different scales. The Trace transform multi-resolution decomposition is performed by sub-sampling the original Trace transform of the image in either of its two dimensions, \( d \) or \( \theta \), or in both dimensions.

**Figure 4.** The multi-resolution Trace transform (a) with difference \( d \) (b) with difference \( \theta \).
This corresponds to projecting strips of width $d$ over the image during the Trace transform, as shown in Figure 4(a). Sub-sampling also takes place by integrating over intervals in the parameter as shown in Figure 4(b).

2.4 The Identifier String Extraction Algorithm

An image $f(x, y)$ can be viewed from two different co-ordinate systems $C_1$ and $C_2$. The coordinate system, $C_2$, is obtained from the $C_1$ by a rotation of angle $-\phi$, scaling the axis by parameter $\nu$ and by translating with the vector $(-S_0 \cos \phi_0, -S_0 \sin \phi_0)$. The image $f_2(x, y)$ viewed from $C_2$, can be seen as the image $f(x, y)$ having undergone rotation by $\phi$, scaling by $\nu^{-1}$ and shifting by $(-S_0 \cos \phi_0, -S_0 \sin \phi_0)$. These linear transformations a line in $f$ will still be a line in $f_2$, the transformations are line preserving. The parameters of an image line in co-ordinate system $C_1$ in terms of the parameters of the line in $C_2$ are $\theta_2 = \theta_1 - \phi, d_2 = \nu(d_1 - S_0 \cos \phi_0 - \theta_1)$ and $t_1 = \nu(t_2 - S_0 \sin \phi_0 - \theta_1)$. From equation (1); it can be seen that the relationship of the circus function of an image in co-ordinate system $C_2$ to the image in co-ordinate system $C_1$ is given as

$$c(C_2; \phi) = \kappa D(\alpha_t \nu) D(\Phi [\theta_1 - \theta, \rho_1, \nu t_1]),$$

(5)

where $\kappa = \gamma D(\alpha_t \nu) \alpha_t \nu$. From equation (4) it can be seen that the one-dimension circus function in $C_2$ is a scaled and shifted version of the circus function in $C_1$. From equation (5) we taking the Fourier transform gives $F(\Phi) = \kappa \exp \alpha \nu D(\Phi [\theta_1 - \theta, \rho_1, \nu t_1])$. Taking the magnitude of $F(\Phi)$ gives

$$F(\Phi) = |\kappa | \kappa D(\Phi [\theta_1 - \theta, \rho_1, \nu t_1])|^2.$$

(6)

By the properties of the circus function and the magnitude of the Fourier transform an identifier can be extracted from an image. An algorithm to extract the binary identifier is given in Table 2. The identifier string [10] is very robust under similarity transform, which is scaling, rotation and translation (Table 2).

The multi-resolution Trace transform provides more identifiers. A one-dimensional decomposition over the distance $(d)$ parameter is performed. The extraction process shown in table 2, steps 2 to 5, are used for each level of the multi-resolution Trace transform. Significant performance improvements are obtained by extracting multiple identifiers from each image. Firstly different identifiers are extracted by making different choices for the diametrical functionals in steps 1 and 2 of Algorithm-1 (see in Table 2). In Table 2, the results are further improved by using different diametrical functionals to extract multiple component identifiers and concatenating them to obtain a complete identifier as shown in Figure 5.
Algorithm-I

Step 1: 
Take the Trace transform of the image using the functional $\int_0^1 \xi(t) \, dt$ i.e., integrating over all lines in the image.

Step 2: 
Find the first two circus functions by applying the following diametrical functionals to the columns of the two dimensions matrix resulting from step 1, $\int_0^1 \xi(t) \, dt$ where $'$ is the gradient $\max \xi(t)$.

Step 3: 
Get the magnitude of two circus functions by taking the Fourier transform.

Step 4: 
Obtain the binary strings from each circus function that comes from taking the difference of neighboring coefficients $c(\omega) = |F(\omega)| - |F(\omega + 1)|$.

\begin{equation}
  I_\omega = \begin{cases} 
    0 & c(\omega) < 0 \\ 
    1 & \text{otherwise}
  \end{cases} \quad (A.1)
\end{equation}

Step 5: 
The first bit $i_1$ corresponding to the different-combinations component is discarded and the identifier is made up of the subsequent $N$ bits, $I = \{i_2, i_3, ..., i_N\}$.

Step 6: 
For each diametrical functional perform steps (2) to step (5).

Step 7: 
Concatenate each of the identifiers to obtain the complete identifier.
3. SIMILARITY MEASURE

3.1 Classical Hausdorff distance

Hausdorff distance [11] is a max-min distance that measures the extent to which two images are similar or different to one another. Therefore, Hausdorff distance can be used as a measure to determine the degree of resemblance between two objects. Given two point sets \( A \) and \( B \), the Hausdorff distance between \( A \) and \( B \) is defined as

\[
H(A,B) = \max(\mathcal{H}(A,B), \mathcal{H}(B,A)),
\]

where

\[
\mathcal{H}(A,B) = \max_{a \in A} \min_{b \in B} \|a-b\|,
\]

with \( \| \cdot \| \) denotes some norm of points of \( A \) and \( B \). This measure indicates the degree of similarity between two point sets. It can be calculated without an explicit pairing of points in their respective data sets. The conventional Hausdorff distance, however, is not robust to the presence of noise. A modified Hausdorff distance (MHD) using an average distance between the points of one set to the other set gives the best result. This measure is the most widely used in the task of object identification and defined as:

\[
\mathcal{H}_{sw}(A,B) = \max(\mathcal{H}_{sw}(A,B), \mathcal{H}_{sw}(B,A)).
\]

The definition of the sequentially weighted directed Hausdorff distance \( \mathcal{H}_{sw}(A,B) \), as given:

\[
\mathcal{H}_{sw}(A,B) = \frac{1}{N_a} \sum_{b \in B} \min_{a \in A} \|a-b\|,
\]

where \( \| \cdot \| \) is an underlying norm on the points of \( A \) and \( B \); \( N_a \) is the number of points in set \( A \); \( \mathcal{H}_{sw}(A,B) \) is a weighted function, whose definition is:

\[
w(x) = \begin{cases} 
N_a / N_s & \text{if } N_a > 0 \\
1 & \text{otherwise}
\end{cases}
\]

where \( N_a \) is the number of remainder bit(s) in sub-sequentially and \( N_s \) is the number of total bit(s) in sub-sequentially (as show in Figure 6). However, the performance of \( \mathcal{H}_{sw} \) depends on the completeness and incompleteness of the binary identifier extraction in section 2.3.

4. EXPERIMENTAL RESULTS

In this section, we describe a testing database we used and then present an ear recognition result under variant illumination, scaling, rotation. Our proposed method was implemented on the CMU PIE [12] database. Some sample testing images are show in Figure 7.

In the real-world applications, the image based recognition systems should be invariant to rotation, size variation, and illumination. In our proposed method, we use single image from the database for creating identifier string. The ear images for testing were generated by...
applying random scaling and rotation factors to the ear images, which were distributed within [1-50, 1+50] % and [0, 360]°. Examples of test images are shown in Figure 8 and Table 3.

In summary, our proposed method is robust to rotation, size variation, and reflection. From the inspection of Table 3, it was found that our proposed method given the average accuracy rate is better than 97%. Such robustness comes from the use of Trace transform, Fourier transform, circus function, and matching measure in order of Section 2 and Section 3. Another advantage of our approach is that when new subjects are added to the system we do not need to retrain on the whole-ear database; in fact only images of the new subject are used to find the new optimal parameter of the algorithm. This may not be the case for the other traditional methods when new subjects are added to the ear image database, these systems must be
retrained over the whole-ear database, which is a barrier for real applications.

5. CONCLUSIONS

Our work proposes a highly robust method for ear based personal identification. Techniques introduced in this work are composed of two parts. The first one is the detection of image signatures by using the concepts of multi-resolution Trace transform, Fourier transform, and circus function. Then, in the second part, the notions of the modified Hausdorff distance and identifier string algorithm are employed to measure and to determine the similarity between the models and the tested images. Our method is evaluated with experiments on images from the CMU PIE database. The extensive experimental results show that the average of accuracy rate of ear recognition with variant scaling, rotation and image reflection is higher than 97%.

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REFERENCE


